

Reading: Odomirok.14-F
 Model: 2017.Spring #14
 Problem Type: Schedule F provision for reinsurance

(Schedule F - 2017.Spring Q14) a-Question

Given An insurer has only 2 reinsurers with data as follows:

		unauthorized reinsurer A	authorized reinsurer B
	recoverables NOT in dispute		
$T^n \Rightarrow$	total reinsurance recoverable	3,500	2,500
$P^n \Rightarrow$	recoverable on paid loss & LAE	2,000	1,300
$P_{90}^n \Rightarrow$	recoverable on paid loss & LAE > 90 days past due	250	150
	recoverable on paid loss & LAE > 120 days past due	55	75

		unauthorized reinsurer A	authorized reinsurer B
	recoverables in dispute		
$T^d \Rightarrow$	total reinsurance recoverable	600	500
	recoverable on paid loss & LAE	400	200
$P_{90}^d \Rightarrow$	recoverable on paid loss & LAE > 90 days past due	100	50
	recoverable on paid loss & LAE > 120 days past due	25	20

		unauthorized reinsurer A	authorized reinsurer B
	other junk you need for the calculation		
part of $P^n \Rightarrow$	amount received prior 90 days	40	0
part of C \Rightarrow	letters of credit (LOC)	1,500	300
part of C \Rightarrow	ceded balances payable	80	0
part of C \Rightarrow	other amounts due reinsurers	0	35

Notation

RP **Reinsurance Provision** \Leftarrow this is what we want to calculate

T Total Recoverable (includes amounts NOT IN dispute & amounts IN dispute)

P Paid Recoverable

C Collateral (or Offsets to RP)

A superscript of ⁿ means the amount is NOT in dispute

A superscript of ^d means the amount IS in dispute

A subscript of ₉₀ means the amount is PAST 90 DAYS due

C_s Collateral that is **secured**

C_u Collateral that is **unsecured**

$$\begin{array}{lcl} \text{RP} & = & \text{RP(A)} + \text{RP(B)} \\ \text{RP} & = & 2,690 + 40 \end{array}$$

(Schedule F - 2017.Spring Q14) b-Answer

$$\text{RP} = 2,730 \quad \Leftarrow \text{this is the final provision for reinsurance}$$

unauthorized reinsurer A

$$\begin{aligned} \text{RP(A)} &= T - C \\ &+ \min(C, 20\% \times P_{90}^n) \\ &+ \min(C, 20\% \times T^d) \\ &= 4,100 - 1,580 \\ &+ \min(1,580, 20\% \times 250) \\ &+ \min(1,580, 20\% \times 600) \\ &= 2,690 \quad \Leftarrow \text{REMEMBER: This is capped by } T = 4,100 \end{aligned}$$

authorized reinsurer B (that's overdue)

The provision for authorized but overdue reinsurers depends on whether or not they are **slow-paying**.

$$\begin{aligned} \text{slow-paying ratio} &= P_{90}^n / P'' \\ &= 150 / 1,300 \\ &= 11.5\% \end{aligned}$$

slow-paying threshold is 20% so this reinsurer is

NOT slow-paying

==>

RP(B)

=

40

if reinsurer IS NOT slow-paying:

$$\begin{aligned} \text{RP(B)} &= 20\% \times (P_{90}^n + P_{90}^d) \\ &= 20\% \times (150 + 50) \\ &= 40 \quad \Leftarrow \text{REMEMBER: This is capped by } T = 3,000 \end{aligned}$$

if reinsurer IS slow-paying:

$$\begin{aligned} \text{RP(B)} &= 20\% \times \max(T - C, P_{90}^n + P_{90}^d) \\ &= 20\% \times \max(3,000 - 335, 150 + 50) \\ &= 533 \quad \Leftarrow \text{REMEMBER: This is capped by } T = 3,000 \end{aligned}$$