Reading: Odomirok.14-F
Model: 2017.Spring #14

**Problem Type:** Schedule F provision for reinsurance

**Given** An insurer has only 2 reinsurers with data as follows:

		unauthorized	authorized
	recoverables NOT in dispute	reinsurer B	reinsurer A
T <sup>n</sup> ==>	total reinsurance recoverable	132	115
	recoverable on paid loss & LAE	155	105
P <sup>n</sup> <sub>90</sub> ==>	recoverable on paid loss & LAE > 90 days past due	10	20
	recoverable on paid loss & LAE > 120 days past due	3	4

		unauthorized	authorized
	recoverables in dispute	reinsurer B	reinsurer A
T <sup>d</sup> ==>	total reinsurance recoverable	8	0
	recoverable on paid loss & LAE		
P <sup>d</sup> <sub>90</sub> ==>	recoverable on paid loss & LAE > 90 days past due	0	0
	recoverable on paid loss & LAE > 120 days past due	0	0

	other junk you need for the calculation	unauthorized reinsurer B	authorized reinsurer A
part of P <sup>n</sup> ==>	amount received prior 90 days	20	15
part of C ==>	letters of credit (LOC)	40	65
part of C ==>	ceded balances payable		
part of C ==>	other amounts due reinsurers		

## Notation RP Reinsurance Provision <== this is what we want to calculate

- Total Recoverable (includes amounts NOT IN dispute & amounts IN dispute)
- P Paid Recoverable
- C Collateral (or Offsets to RP)

A superscript of <sup>n</sup> means the amount is NOT in disupte A superscript of <sup>d</sup> means the amount IS in disupte

A subscript of  $_{\rm 90}$  means the amount is PAST 90 DAYS due

 $C_s$  Collateral that is **secured**  $C_u$  Collateral that is **unsecured** 

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RP = RP(A) + RP(B)

RP = 103.6 + 4.0
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RP = 107.6 <== this is the final provision for reinsurance

#### unauthorized reinsurer A

RP(A) = T - C + min( C , 20% x 
$$P_{90}^{n}$$
 ) + min( C , 20% x  $T^{d}$  )

= 140 - 40 + min( 40 , 20% x 10 ) + min( 40 , 20% x 8 )

## authorized reinsurer B (that's overdue)

The provision for authorized but overdue reinsurers depends on whether or not they are **slow-paying**.

slow-paying ratio = 
$$P_{90}^{n}$$
 /  $P''$   
= 20 / 105  
= 19.0%

slow-paying threshold is 20% so this reinsurer is

NOT slow-paying ==> RP(B) = 4.0

#### if reinsurer IS NOT slow-paying:

RP(B) = 20% x ( 
$$P^{n}_{90}$$
 +  $P^{d}_{90}$  )  
= 20% x ( 20 + 0 )  
= 4.0 <== REMEMBER: This is capped by T = 115

# if reinsurer IS slow-paying:

RP(B) = 20%  
x max( T - C , 
$$P^{n}_{90}$$
 +  $P^{d}_{90}$  )  
= 20%  
x max( 115 - 65 , 20 + 0 )  
= 10.0 <== REMEMBER: This is capped by T = 115